

# Giving Research Talks

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# Outline

- Rules on preparation
- Rules on delivery
- ✓ Examples to make it concrete

# 1. Preparation

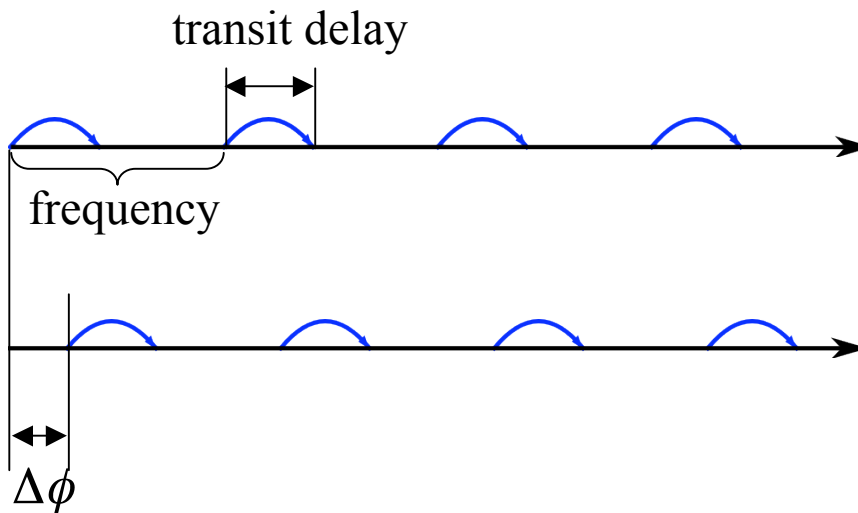
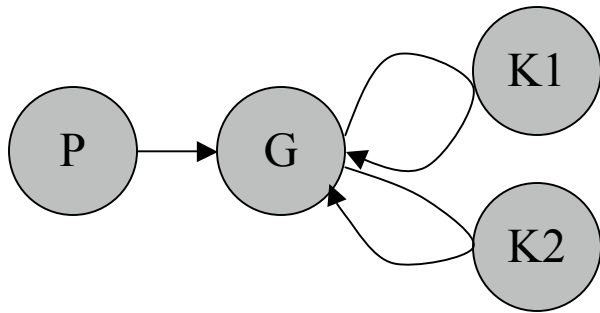
# Rule 1: Tell a story

- Context
  - “Once upon a time, ...”
- Problem
  - “The ogre ate all the apples, so the children went without...”
- Solution
  - “The anti-ogre fence...”
- Evaluation
  - “Ogre infestations declined 58% over 5 years...”
- Conclusions
  - “We recommend anti-ogre fences”

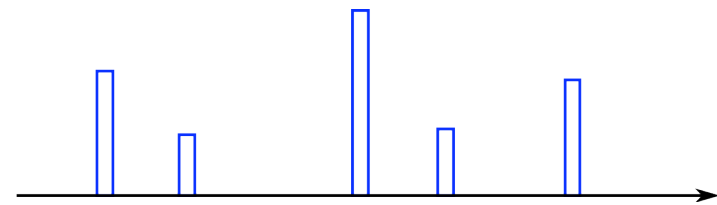
## Rule 2: 1-2-3 rule

- **One** idea per slide

# Microbenchmarks



Traffic Model: Batched Poisson



load = mean batch size / mean batch interval

Load	0.45
Allowed Rate	0.5
Frequency	12 / day
Transit Delay	60 min
$\Delta\phi$	180°

## Rule 2: 1-2-3 rule

- **Two** minutes per slide
- 30 minute talk: no more than 15 body slides
  - unless very sparse
  - like this talk!

## Rule 2: 1-2-3 rule

- At most **three** topics
  - figure them out beforehand
  - depends on the nature of the audience
  - work backwards from them
- What are the topics for this talk?



## Rule 3: Use outlines

- Outlines show *connections*
  - as important as the details
- Start with an outline
- Repeat the outline or section title for each section
  - 'roadmap'

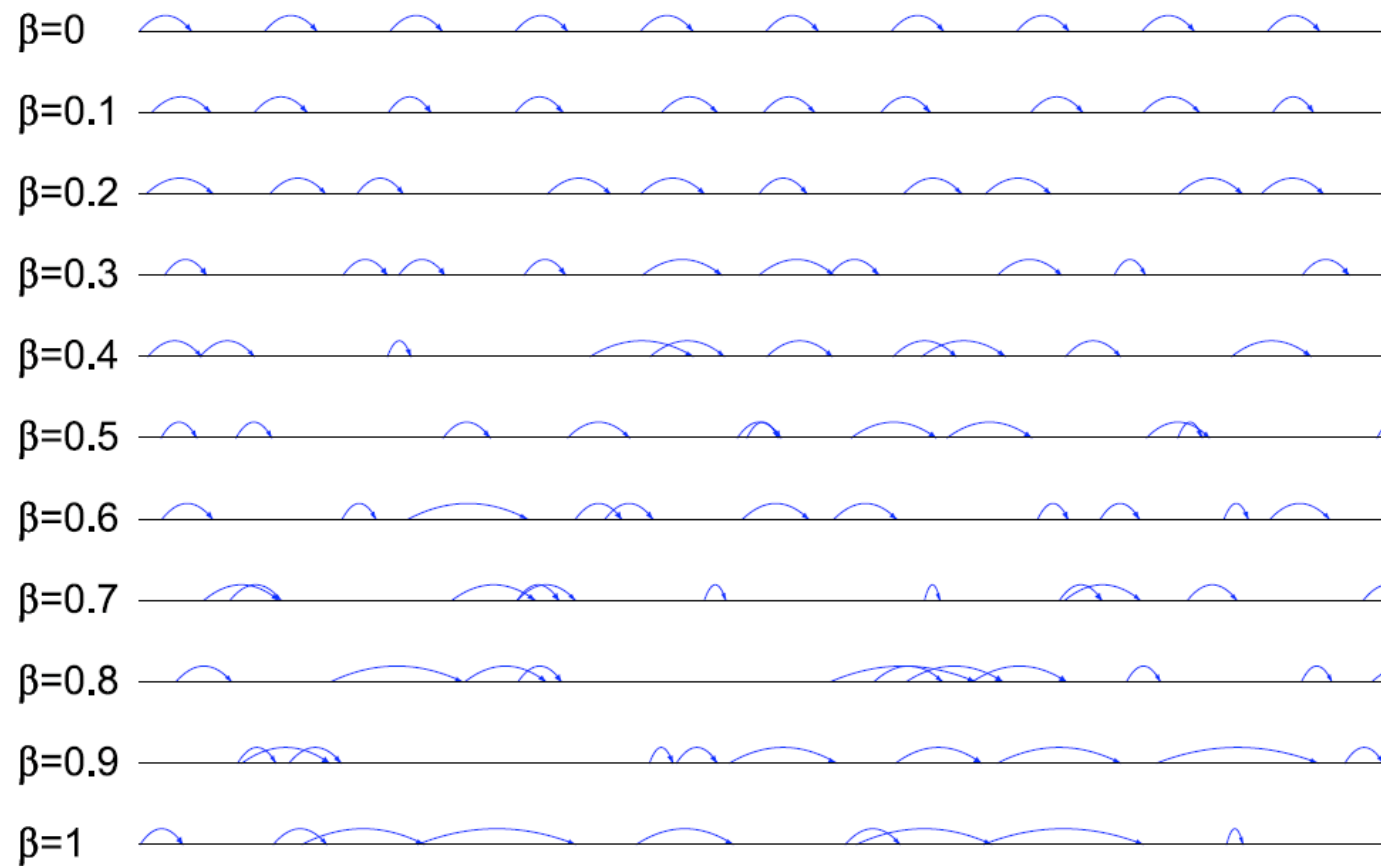
## Rule 4: Impact is inversely proportional to word count

- "Words on presentation slides are a very good idea, but only when the audience is deaf."
  - Prof. W. Cowan, University of Waterloo

## Imprecise schedules

- Consider a precise schedule
  - time series of arrival times
- To create imprecise schedules, we jitter each arrival time by a Gaussian random variable
- 'Beta' parameter is the ratio of the standard deviation of the r.v. to its mean
  - Increasing beta increases imprecision

# Imprecise schedules



# Rule 5: Use friendly fonts and colours

- **KIOSKNET ARCHITECTURE**
- *Downlink Scheduling*
  - ▶ *Problem Definition*
  - ▶ *Existing Approaches*
  - ▶ *Our Solution*
  - ▶ *Simulation*
- *Implementing the KioskNet System*
- **CONCLUSIONS AND FUTURE WORK**

Rule 6: Never show tables when you can show graphs

Table 4. Cases of meningococcal disease in Dublin 1998 by area of residence

Area	Cases	
	n	%
1	2	5
2	1	3
3	2	5
4	2	5
5	8	22
6	7	19
7	10	27
8	2	5
9	2	5
10	1	3
Total	37	100

# The area map





Rewl 7: Typoos relfect porely on ur comptence

## Rule 8: Use compelling examples

- Use running examples if possible

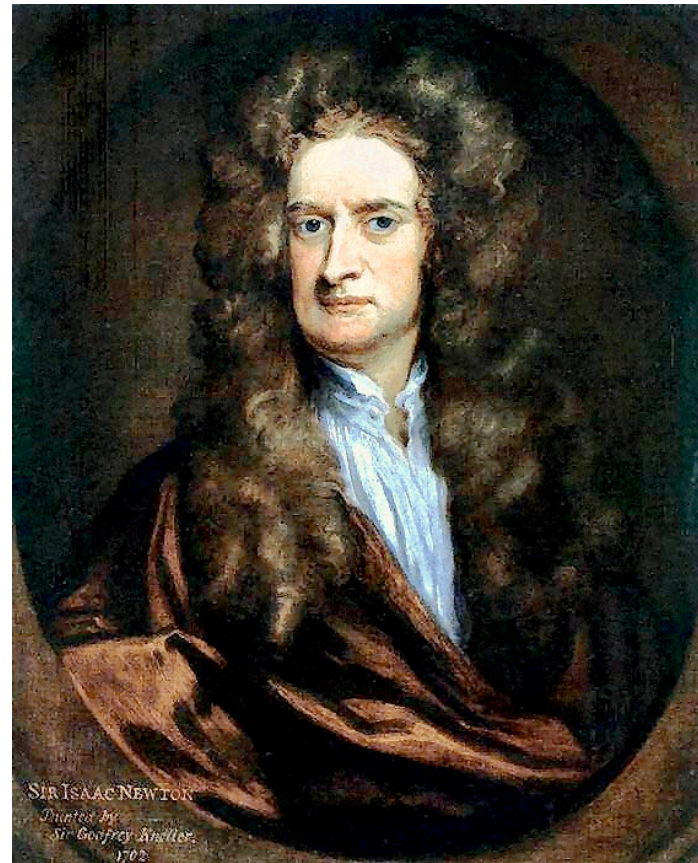
## Rule 9: Avoid colloquialisms

- It's like, duh

## Rule 10: Describe related and past work

“If I have seen further it is only by standing on the shoulders of Giants.”

*Isaac Newton*



# Rule 11: Showcase your contributions

- Tell the audience exactly what your contribution is
  - don't make them guess
- My contributions
  - succinct summary of rules for giving talks
  - illustrated with examples
  - based on my experience and that of others

## Rule 12: Highlight insights

- The story behind the work is what audiences come to talks for
  - that's what is missing in a paper!

## 2. Delivery

## Rule 1: Talk to the audience, not the screen

- Scan the audience, gauge understanding



## Rule 2: Never read from notes

- Its depressing

## Rule 3: Walk audiences through formulae

$$\log N^*(t) = \log \left( \prod_{i=1}^n N^i \left( \frac{t}{\sigma} \right) \right) = \sum_{i=1}^n \log \left( N^i \left( \frac{t}{\sigma} \right) \right) \approx \sum_{i=1}^n \log \left( 1 + \frac{(\sigma^i)^2}{2} \left( \frac{t}{\sigma} \right)^2 \right) \quad (\text{EQ 14})$$

It is easily shown by the Taylor series expansion that when  $h$  is small (so that  $h^2$  and higher powers of  $h$  can be ignored)  $\log(1+h)$  can be approximated by  $h$ . So, when  $n$  is large, and  $\sigma$  is large, we can further approximate

$$\sum_{i=1}^n \log \left( 1 + \frac{(\sigma^i)^2}{2} \left( \frac{t}{\sigma} \right)^2 \right) \approx \sum_{i=1}^n \frac{(\sigma^i)^2}{2} \left( \frac{t}{\sigma} \right)^2 = \frac{1}{2} \left( \frac{t}{\sigma} \right)^2 \sum_{i=1}^n (\sigma^i)^2 = \frac{1}{2} t^2 \quad (\text{EQ 15})$$

where, for the last simplification, we used Equation 10. Thus,  $\log N^*(t)$  is approximately  $1/2 t^2$ , which means that

$$N^*(t) \approx e^{\frac{t^2}{2}} \quad (\text{EQ 16})$$

Rule 4: Speak slowly and clearly

## Rule 5: Respect questioners

- Hear questions fully
- Defer them if needed



## Rule 7: Arrive early

- Test your laptop
- Bring a memory stick
- Do the talk on a white/black board if necessary

## Rule 8: Bring a pointer

- Laser, stick, or pen

## Rule 9: A little humour goes a long way

$$\begin{bmatrix} \cos 90^\circ & \sin 90^\circ \\ -\sin 90^\circ & \cos 90^\circ \end{bmatrix} \begin{bmatrix} a_1 \\ a_2 \end{bmatrix} = \begin{bmatrix} 0 & a_1 \\ a_2 & 0 \end{bmatrix}$$

From XKCD



## Rule 10: End on time

- Keep track of the time